

2.7. Conductivity vs n

2.7a. A material with an energy momentum relation $E(p) = E_c + K p^a$, has a conductivity function $S(E)$ given by (d: number of dimensions, K: positive constant)

(a) $S(E) \sim (E - E_c)^{(d-1)/a} t$

(b) $S(E) \sim (E - E_c)^{(d+1)/a} t$

(c) $S(E) \sim (E - E_c)^{(d+a-1)/a} t$

(d) $S(E) \sim (E - E_c)^{(d+a-2)/a} t$

(e) none of the above

$$\sigma = q^2 \frac{n(p)\tau(p)}{m(p)} \sim \frac{nv\tau}{p} \sim p^{d-1} v(p)\tau(p) \\ \sim p^{d-1} p^{\alpha-1} \tau \sim p^{d+\alpha-2} \tau \sim (E - E_c)^{\frac{d+\alpha-2}{a}} \tau$$

2.7b. A material with an energy momentum relation $E(p) = \sqrt{E_g^2 + \hbar_0^2 p^2}$, has a conductivity function $S(E)$ given by (d: number of dimensions, K: positive constant)

(a) $S(E) \sim (E - E_c)^{(d-1)/2}$

(b) $S(E) \sim (E^2 - E_g^2)^{(d/2)+1} t$

(c) $S(E) \sim (E^2 - E_g^2)^{(d/2)-1} t$

(d) $S(E) \sim (E^2 - E_g^2)^{d/2} t$

(e) none of the above

$$\sigma \sim p^{d-1} v(p)\tau(p) \sim p^{d-1} \frac{p}{E} \tau \sim \frac{(E^2 - E_g^2)^{d/2}}{E} \tau$$