

FUNDAMENTALS OF NANOELECTRONICS

Basic Concepts

1. The New Perspective

2. Energy Band Model

**3. What & Where
is the “Voltage”?**

4. Heat & Electricity:

Second Law & Information

3.1. Introduction

3.2. A New Boundary Condition

3.3. Quasi-Fermi Levels (QFL's)

3.4. Current from QFL's

3.5. Landauer Formulas

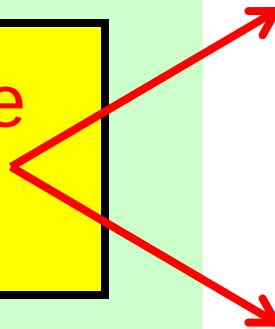
3.6. What a Probe Measures

3.7. Electrostatic Potential

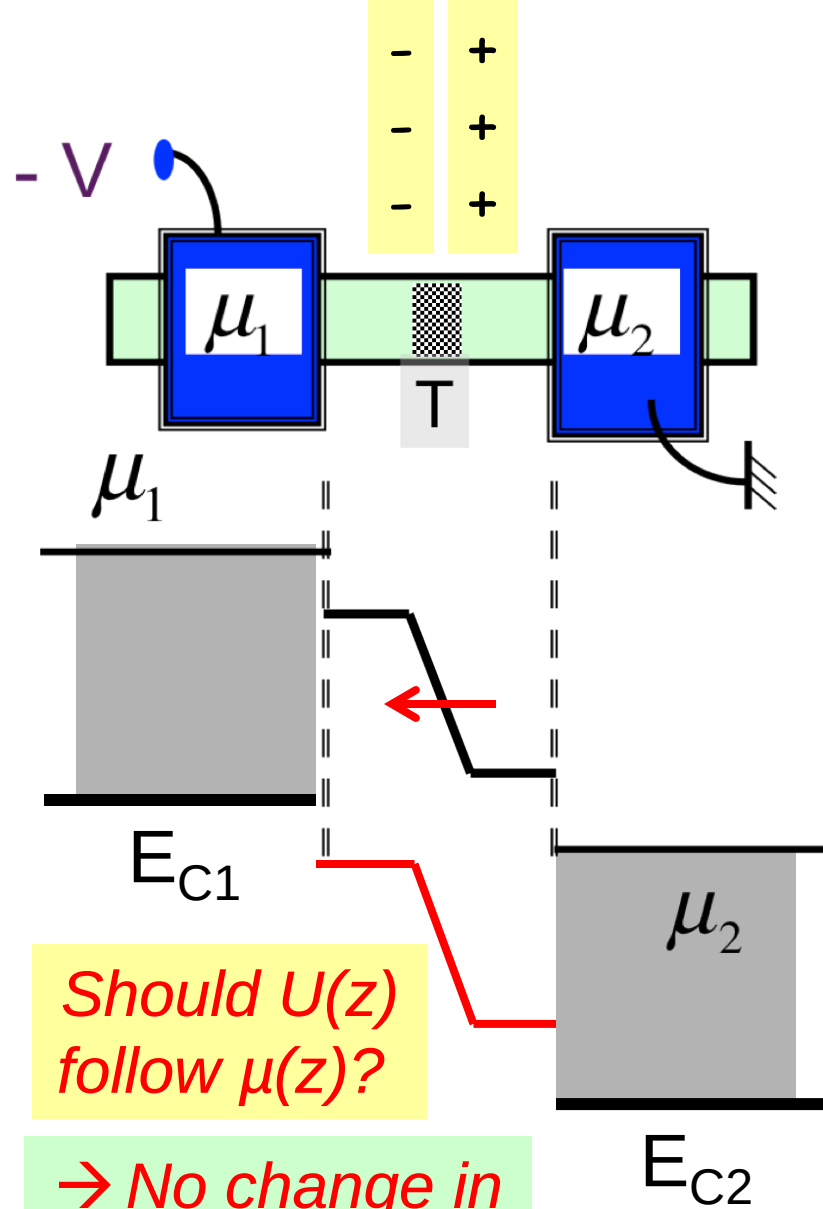
3.8. Boltzmann Equation

3.9. Spin voltages

3.10. Summing up ..



3.7a Electrostatic Potential



Should $U(z)$
follow $\mu(z)$?

$\rightarrow$ No change in
electron density

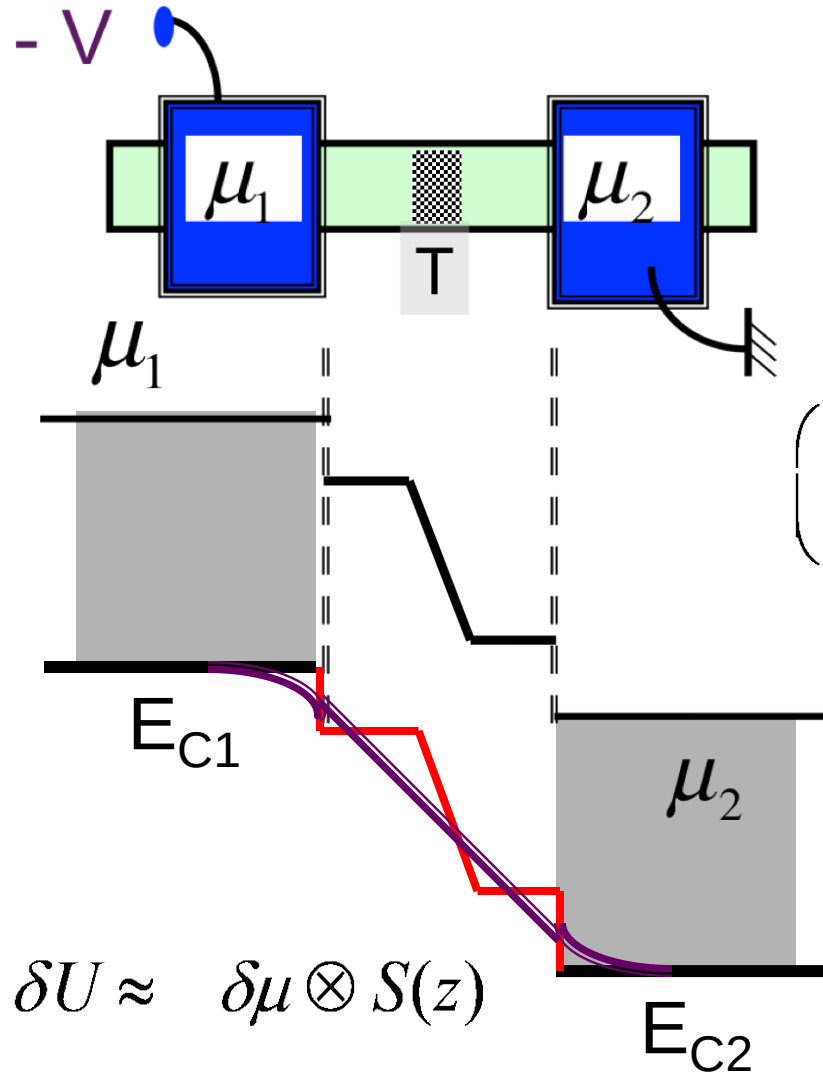
$$\delta n = \begin{matrix} \text{small} & \text{large} \end{matrix} \delta(\mu - U) \times D_0$$

$$\delta N \approx \delta(\mu - U) \times \int_{-\infty}^{+\infty} dE \left(-\frac{\partial f_0}{\partial E} \right) D(E)$$

$$= \int_{-\infty}^{+\infty} dE D(E) f(E - \mu + U)$$

$$N = \int_{-\infty}^{+\infty} dE D(E - U) f(E - \mu)$$

3.7b Electrostatic Potential



$$\delta n = \delta(\mu - U) \times D_0$$

$$\nabla^2(\delta U) = -\frac{q^2(\delta n)}{\epsilon} = -\frac{q^2 D_0}{\epsilon}(\delta\mu - \delta U)$$

$$\left(\nabla^2 - \frac{1}{\lambda_s^2}\right) S = \delta(\vec{r})$$

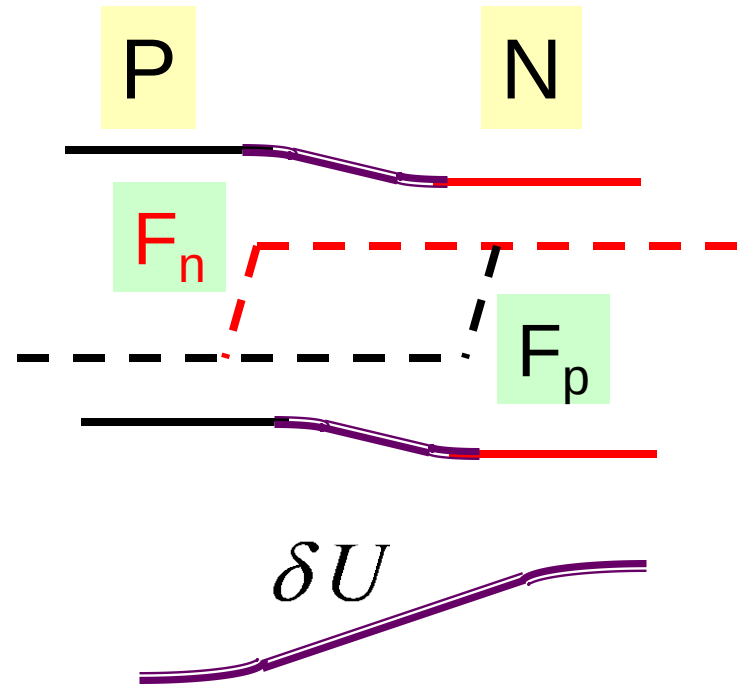
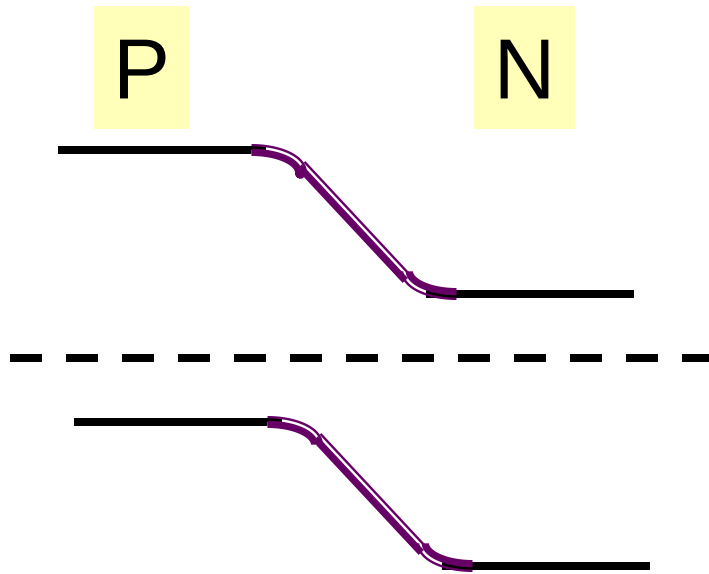


Screening Length

$$\left(\nabla^2 - \frac{1}{\lambda_s^2}\right) \delta U = -\frac{\delta\mu}{\lambda_s^2}$$

$$\lambda_s \equiv \sqrt{\frac{\epsilon}{q^2 D_0}} \rightarrow 0 : \delta U \approx \delta\mu$$

3.7c Electrostatic Potential

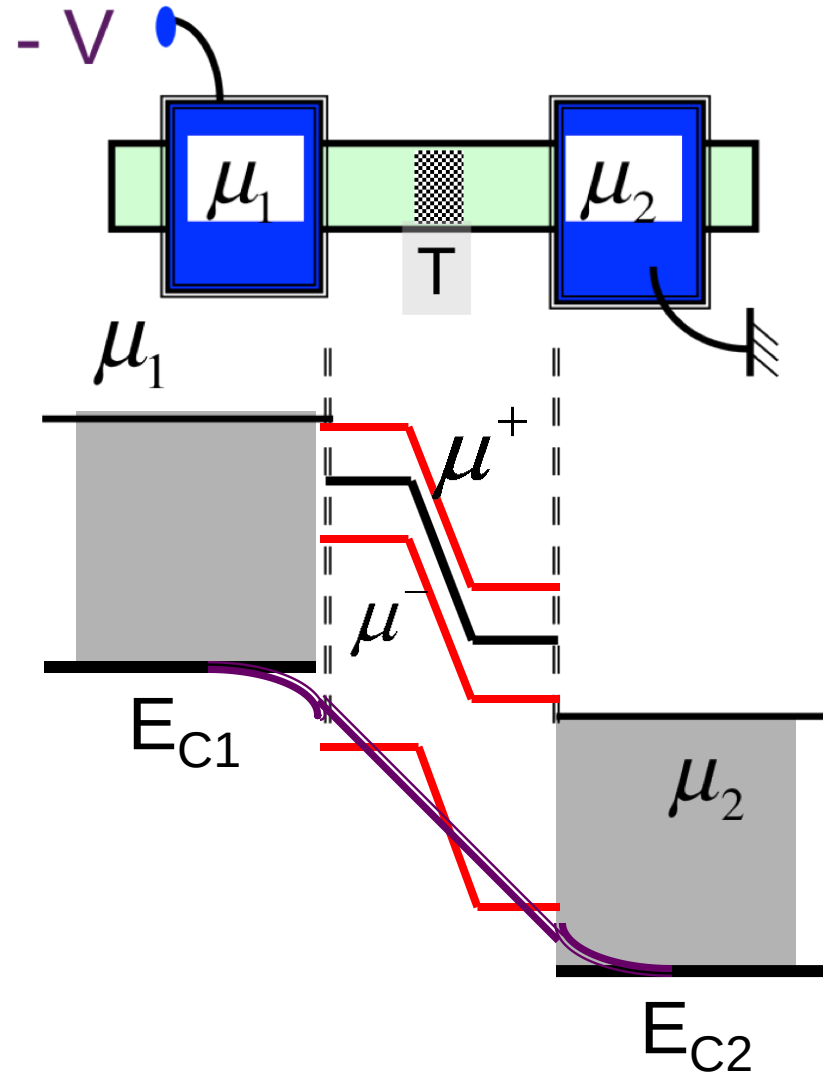


*Electrostatic Potential
Is Smeared by the
Screening Length*

$$\delta U \approx \delta \mu \otimes S(z)$$

$$\lambda_s \equiv \sqrt{\frac{\epsilon}{q^2 D_0}} \quad , \quad \left(\nabla^2 - \frac{1}{\lambda_s^2} \right) \delta U = - \frac{\delta \mu}{\lambda_s^2}$$

3.7d Electrostatic Potential



Quasi-Fermi Levels (QFL's)

Electrostatic Potential Is Smeared by the Screening Length

$$I = -\frac{\sigma_0 A}{q} \frac{d\mu}{dz}$$

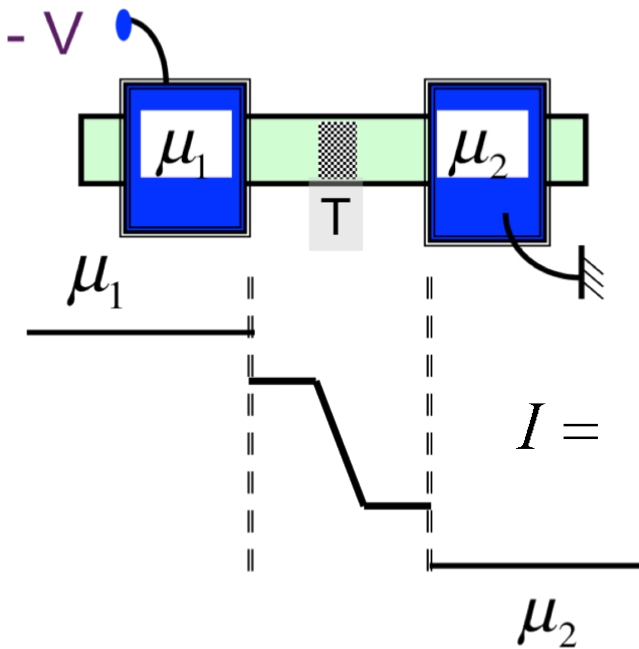
$$\mu(z=0) = \mu_1 - \frac{q I R_B}{2}$$

$$\mu(z=L) = \mu_2 + \frac{q I R_B}{2}$$

$$\mu^+(z=0) = \mu_1$$

$$\mu^-(z=L) = \mu_2$$

Coming up next ..



$$I = - \frac{\sigma_0 A}{q} \frac{d\mu}{dz}$$

$$\mu(z=0) = \mu_1 - \frac{q I R_B}{2}$$

$$\mu(z=L) = \mu_2 + \frac{q I R_B}{2}$$

$$v_z \frac{\partial f}{\partial z} + F_z \frac{\partial f}{\partial p_z} = - \frac{f - \bar{f}}{\tau}$$

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